

FINAL EXAMINATION NOVEMBER 2022

COURSE TITLE INTRODUCTION TO BUSINESS MATHEMATICS

COURSE CODE RMAT1113/BMAT1113

DATE/DAY 15 FEBRUARY 2023 / WEDNESDAY

TIME/DURATION 02:30 PM - 04:30 PM / 02 Hour(s) 00 Minute(s)

INSTRUCTIONS TO CANDIDATES:

1. Please read the instruction under each section carefully.

2. Candidates are reminded not to bring into examination hall/room any form of written materials or electronic gadget except for stationery that is permitted by the Invigilator.

Students who are caught breaching the Examination Rules and Regulation will be charged with an academic
dishonesty and if found guilty of the offence, the maximum penalty is expulsion from the University.

(This Question Paper consists of 7 Printed Pages including front page)

There are	SIX	(6)	questions.	Answer	all	the	questions.
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(70 marks)

1. a. The sum of the first n terms of the progression 36,34,32,0. Find the value of n and tenth term	the
(5 ma	rks)
b. Find the sum of the first thirteen terms of the progression 40,20,10,5,	
(5 mar	rks)
(10 ma	rks)



(5 marks)

b. A loan RMx is made on 20th April 2022 at a simple interest rate of 6% per annum. The accumulated amount on 23rd December 2022 is RM2 008. Using the Banker's Rule find the term of loan in days.

(5 marks)

(10 marks)

3.	Given two interest rates (a) 4.8% compounded monthly and (b) 5% compounded Which of the two interest rates provides a better return.	d qu	ıarterly.
		(6	marks)
4.	The cash price of a condominium is RM204 600. It is purchased through an insta by making 10% down payment and a 360 equal monthly payments. The interest 6.8% compounded monthly. a. Find the monthly payment	lme cha	nt plan arged is
		(5	marks)
	 b. If immediately after 15 years the buyer decides to settle the loan by making a payment, determine the value of the single payment 	sin	gle
	Copying, modifying TUN	(9	marks)
	payment, determine the value of the single payment Copying, modifying, or reprinting, is not permitted.	(14	marks)
	Q,		

John buys a new set of furniture worth RM8 260.He receives an invoice dated 26th October 2022 with a trade discount of 7% ,2% and is offered cash discount 3/15, 2/30, n/60.	terms
a. Calculate the single discount equivalent to the trade discounts given	
	(5 marks)
b. Calculate the last day to receive the 2% cash discount	
	(5 marks)
c. Determine the total amount if John pays the invoice on 17th November 2022	
Copying, modis	(5 marks)
d. If John pays RM4 000 on 3 rd November 2022, much balance is due before the	
credit terms ends	
noted.	(5 marks)
	(20 marks)
	26 th October 2022 with a trade discount of 7% ,2% and is offered cash discount 3/15, 2/30, n/60. a. Calculate the single discount equivalent to the trade discounts given b. Calculate the last day to receive the 2% cash discount c. Determine the total amount if John pays the invoice on 17 th November 2022

6. An ACER laptop selling for RM8 000 cash can be purchased with a down payment of 25% down payment and 24 monthly payments at 10% per annum on the original balance. Find

a. t	he '	total	interest	pay	yment
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(3 marks)

b. the instalment price

(3 marks)

c. the monthly payment

(4 marks)

(10 marks)

*** END OF QUESTION PAPER

List of Formulas

Sequence

$$T_n = a + (n-1)d$$

 $S_n = \frac{n}{2}[2a + (n-1)d]$
 $T_n = ar^{n-1}$
 $S_n = \frac{a(r^n-1)}{r-1}$, $r > 1$, $S_n = \frac{a(1-r^n)}{1-r}$, $r < 1$

Simple Interest

$$S = P (1 + rt)$$

 $P = S (1 + rt)^{-1}$

Compound Interest

$$S = P (1 + rt)^{n}$$

$$1 + r = (1 + \frac{k}{m})^{m}$$

$$P = S (1 + rt)^{-1}$$

Annuity

$$S = R \left[\frac{(1+i)^n - 1}{i} \right]$$
$$A = R \left[\frac{1 - (1+i)^{-n}}{i} \right]$$

Trade and Cash Discounts

$$NP = L (1-r)$$

 $r = 1 - (1-r_1)(1-r_2)...$

Markup and Markdown

$$RP = C + Markup$$

 $MD = OP - NP$
 $R = C + NP + OE$
 $BEP = C + OE$

List of Formulas

Promissory Notes

$$D = Sdt$$

$$P = S (1 - dt)$$

Instalment Purchases

$$A = R \left[\frac{1 - (1+i)^{-n}}{i} \right]$$

$$r = \frac{2ml}{B(n+1)}$$

$$B = RN - I \left[\frac{N(N+1)}{n(n+1)} \right]$$

Depreciation

 $Annual\ Depreciation\ = \frac{Cost-Salvage\ value}{Useful\ Life}$

$$r = 1 - \sqrt[n]{\frac{s}{c}}$$

$$S = \frac{n(n+1)}{2}$$